Abstract
Let $A$ be a unital $C^*$-algebra of real rank zero and $B$ be a unital semisimple complex Banach algebra. We characterize linear maps from $A$ onto $B$ preserving different essential spectral sets and quantities such as the (left, right) essential spectrum, the Weyl spectrum, the index, and the essential spectral radius.